## Changing Representations

You can use words, graphs, tables, or equations to show algebraic relationships.

## EXAMPLE

Food Drive A class collected cans for a food drive. The teacher brought in 15 cans to start the collection. Beginning the next day, the class brought in 6 cans every day. The table shows the number of cans collected for the first week. Make a graph and write an equation describing the number of cans $c$ collected in $d$ days. Interpret the rate of change and initial value.

| Number of Days, d | 0 | 1 | 2 | 3 | 4 | 5 |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: |
| Number of Cans, c | 15 | 21 | 27 | 33 | 39 | 45 |

Graph: Make a graph of the data with the number of days on the horizontal axis and the number of cans on the vertical axis.

Function Rule: The function is linear because the graph is a line. The $y$-intercept is 15 , and the slope is $\frac{21-15}{1-0}=6$. So the linear function rule is $c=6 d+15$.

The rate of change, or slope of the line, is 6 cans per day. The initial value is the $y$-intercept of the line, or 15 cans.

Food Drive


## Exercises

## In Exercises 1-3, one representation of a function is given. Translate each function by representing it as a table, as a graph, and as a function rule. Interpret the rate of change and initial value.

1. 

| Day | Cards in <br> Collection |
| :---: | :---: |
| 0 | 10 |
| 1 | 18 |
| 2 | 26 |
| 3 | 34 |

2. $d=40 t$ miles where
$d$ represents distance traveled and $t$ represents time in hours
3. 


4. Reasoning When might it be more useful to use a graph rather than a function rule? A function rule rather than a graph?

